```
chis_h = {}
#sum = 0
for p in hammer_pattern:
    chis_h[p] = hammer_law(chis, p)
    #sum += hammer_pattern[p]
```

This seems a nicer way to achieve the same effect.

```
hammer_bits = len(hammer_pattern
```

We want the number of hammered coeffs, not necessarily bits. One coefficient can be hammered in multiple bits. So n\_hammer\_coefs = sum(hammer\_pattern.values()).

Also, is there a reason we are using reduce instead of iter\_law\_convolution for the hammered bits?

iter\_law\_convolution computes the sum of i.i.d. B3 is a list of independent but not identical distributions.

```
For the adversarial DFR, I think you can construct chie_a, chie_na, chiRe_a, chiRe_na like before. Then
```

```
B3 = {}
```

if honest:

for p in hammer\_pattern:

```
B3[p] = iter_law_convolution(law_product(chis_h[p], chiRe), hammer_pattern[p]) else:
```

for p in hammer\_pattern:

```
if p \ge 0:
```

B3[p] = iter\_law\_convolution(law\_product(chis\_h[p], chiRe\_a), hammer\_pattern[p]) else:

B3[p] = iter\_law\_convolution(law\_product(chis\_h[p], chiRe\_na), hammer\_pattern[p])

I wanted to modularize the computation of adversarial DFR a bit by specifying as input how the adversary wants to sample e\_1 ( chie\_a in the script ) depending on how a coef is hammered. This input is called adv\_filter and =threshold\_law by default, which selects +/- 2 or higher.

Oh instead of having B3 structured like that, use the convolution law to combine them in the

for loop:

## You're correct.

On Fri, Oct 22, 2021 at 12:06 PM Lichtinger, Jacob T. (Fed) <<u>jacob.lichtinger@nist.gov</u>> wrote:

Oh instead of having B3 structured like that, use the convolution law to combine them in the for loop:

B3 = {0: 1.}

if honest:

for p in hammer\_pattern:

```
D = iter_law_convolution(law_product(chis_h[p], chiRe), hammer_pattern[p])
```

B3 = law\_convolution(B3, D)

else:

for p in hammer\_pattern:

if p >= 0:

D = iter\_law\_convolution(law\_product(chis\_h[p], chiRe\_a), hammer\_pattern[p]) else:

D = iter\_law\_convolution(law\_product(chis\_h[p], chiRe\_na), hammer\_pattern[p])
B3 = law\_convolution(B3, D)

From: Lichtinger, Jacob T. (Fed) <jacob.lichtinger@nist.gov>

Sent: Friday, October 22, 2021 11:56 AM

**To:** Dang, Thinh H. (Fed) <<u>thinh.dang@nist.gov</u>>; Thinh Dang - <u>thinh@gwu.edu</u> <<u>thinh@gwu.edu</u>>; Apon, Daniel C. (Fed) <<u>daniel.apon@nist.gov</u>>

Subject: Re: Kyber Script

For the adversarial DFR, I think you can construct chie\_a, chie\_na, chiRe\_a, chiRe\_na like before. Then

## B3 = {}

if honest:

for p in hammer\_pattern:

B3[p] = iter\_law\_convolution(law\_product(chis\_h[p], chiRe), hammer\_pattern[p]) else:

for p in hammer\_pattern:

if p >= 0:

B3[p] = iter\_law\_convolution(law\_product(chis\_h[p], chiRe\_a), hammer\_pattern[p]) else:

B3[p] = iter\_law\_convolution(law\_product(chis\_h[p], chiRe\_na), hammer\_pattern[p])

I think that should work?

From: Lichtinger, Jacob T. (Fed)
Sent: Friday, October 22, 2021 11:40 AM
To: Dang, Thinh H. (Fed) <<u>thinh.dang@nist.gov</u>>; Thinh Dang - <u>thinh@gwu.edu</u> <<u>thinh@gwu.edu</u>>;
Apon, Daniel C. (Fed) <<u>daniel.apon@nist.gov</u>>
Subject: Kyber Script

Hi,

I think I see where a problem is happening in the script.

Line 28: chis\_h = [hammer\_law(chis, p) for p in hammer\_pattern]

Once chis\_h is built, it is unclear which p corresponds to which distribution. I am assuming that hammer\_pattern is a dictionary with keys p (tampered bit value like 32 or 64) and the value at p is the number of bits flipped for that p. I would suggest:

```
chis_h = {}
#sum = 0
for p in hammer_pattern:
    chis_h[p] = hammer_law(chis, p)
    #sum += hammer_pattern[p]
hammer_bits = len(hammer_pattern)
```

Also, is there a reason we are using reduce instead of iter\_law\_convolution for the hammered bits? If not, I would change the B3 calculations to

```
B3 = {}
if honest:
for p in hammer_pattern:
B3[p] = iter_law_convolution(law_product(chis_h[p], chiRe), hammer_pattern[p])
```

I need to think about the else case more.

Thoughts?